

# Effective Field Theory of Structure Formation

## Lecture 4: Redshift Space Distortions and Observations

z.vlah

Tonale Winter School on Cosmology 2023

# Outline:

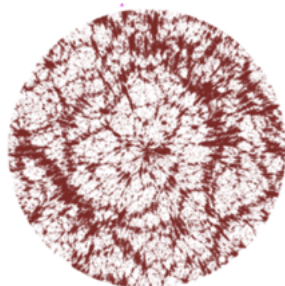
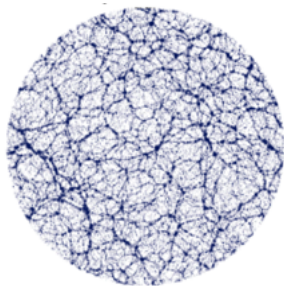
1. Redshift Space Distortions
2. Velocity-moment expansion of RSD
3. Cosmological Parameter Constraints: Simulations Challenge
4. Cosmological Parameter Constraints: Boss Galaxy Survey
5. Summary

## Selected bibliography:

- Large-Scale Galaxy Bias, Desjacques et al., 2018, 1611.09787
- Lectures on EFTofLSS, Senatorel, (online notes)
- Modern Cosmology, Dodelson & Schmidt, 2021
- LSS of the Universe and PT, Bernardeau et al., 2002, astro-ph/0112551

# Redshift Space Distortions

Galaxy field without RSD, and with RSD included.



[Feldman, 2002]

# Redshift Space Distortions

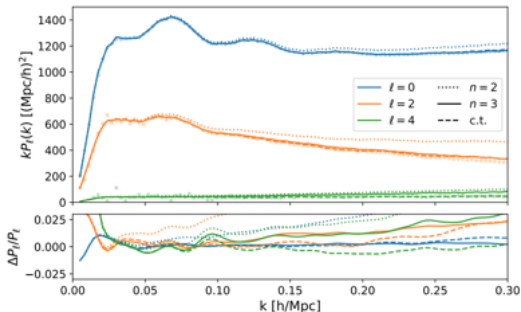


Objects in redshift-space:

$$\mathbf{s} = \mathbf{x} - f(\hat{\mathbf{n}} \cdot \mathbf{u})\hat{\mathbf{n}},$$

Density in redshift-space:

$$\delta_s(k) = \left( b_1 + f(\hat{\mathbf{n}} \cdot \hat{\mathbf{k}})^2 \right) \delta(k).$$



Generates sensitivity of correlators to **velocity** field.

## 2. Velocity-moment expansion of RSD

Redshift Space Distortions: Velocity Expansions

$$1 + \delta_s(\mathbf{s}) = \int d^3x (1 + \delta_g(\mathbf{x})) \delta^D(\mathbf{s} - \mathbf{x} - \mathbf{u}),$$

where  $\mathbf{u}$  = really stands for  $(\hat{n} \cdot \mathbf{u})\hat{n}$ .

In Fourier space

$$(2\pi)^3 \delta^D(\mathbf{k}) + \delta_s(\mathbf{k}) = \int d^3x (1 + \delta_g(\mathbf{x})) e^{i\mathbf{k} \cdot (\mathbf{x} + \mathbf{u})}.$$

Power Spectrum

$$P_s(\mathbf{k}) = \int d^3r e^{i\mathbf{k} \cdot \mathbf{r}} \langle (1 + \delta_g(\mathbf{x}_1)) (1 + \delta_g(\mathbf{x}_2)) e^{i\mathbf{k} \cdot \Delta \mathbf{u}} \rangle_{\mathbf{r}=\mathbf{x}_1-\mathbf{x}_2}$$

Eulerian approach - expansion in powers/moments of  $\Delta \mathbf{u}$ .

# Eulerian PT approach to RSD

- Eulerian approach (EPT):  
based on the velocity moment expansion:

$$P_s(k) = \sum_m \frac{i^m}{m!} k_{\hat{n}}^m \langle (1 + \delta_1)(1 + \delta_2) \Delta v_{\hat{n}}^m \rangle'$$

where IR-resummation can and is be done a posteriori via **wiggle-no-wiggle split**.

- How do **FoG** effects enter into the predictions  
small scale velocity dispersion can modulate the long-density fluctuations

$$\langle (1 + \delta_1)(1 + \delta_2) (\Delta v_{\hat{n}}^2) \rangle' \sim \langle v_{\hat{n}}^2 \rangle P_L(\mathbf{k}) \rightarrow \sigma_v^2 \mu^2 k^2 P_L(\mathbf{k})$$

- Lagrangian approach (LPT):  
RSD mapping contained in the displacement field:

$$\Psi_s = \Psi + f(\hat{n} \cdot \mathbf{u}) \hat{n} = \Psi + f(\hat{n} \cdot \dot{\Psi}) \hat{n}$$

# Application to Data: N-body & surveys

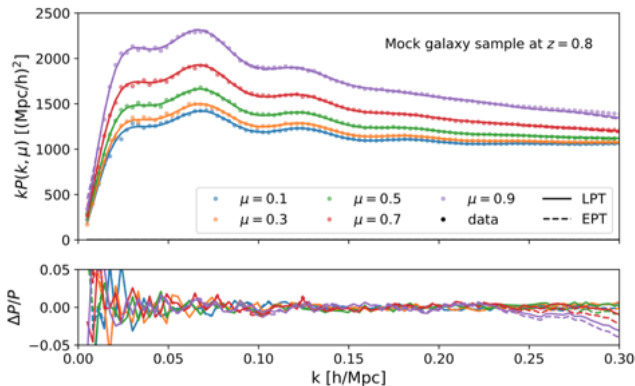
<http://github.com/sfschen/velocileptors>

Features:

[Chen, ++:20]

- Eulerian (EPT), Lagrangian (LPT),
- fast loop evaluations (FFT) – all codes take seconds,
- python, user-friendly, implementation. Requires numpy, scipy and pyFFTW.

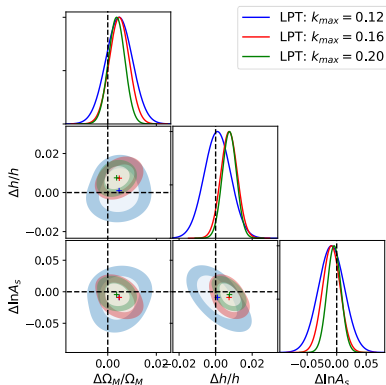
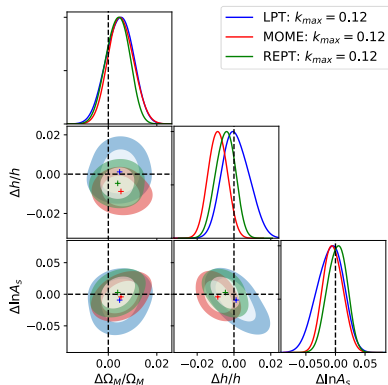
Application to N-Body Data: Mock galaxy sample



# Application to Data: N-body & surveys

Blind Challenge:

[Chen, ++:20]



“PT Blind Challenge” Data - 3840Mpc/h, 3072<sup>3</sup> particles, with BOSS-like (DESI) signals

[Nishimichi++:20]

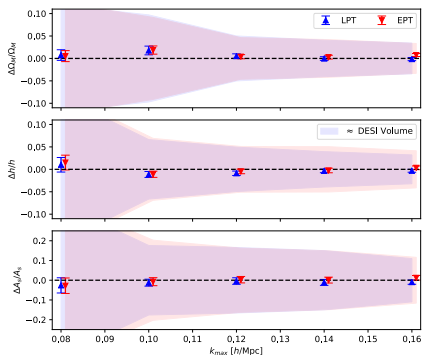
<https://www2.yukawa.kyoto-u.ac.jp/~takahiro.nishimichi/data/PTchallenge/>



# Application to Data: N-body & surveys

Blind Challenge:

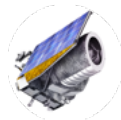
[Chen++:20]



All codes publicly available:

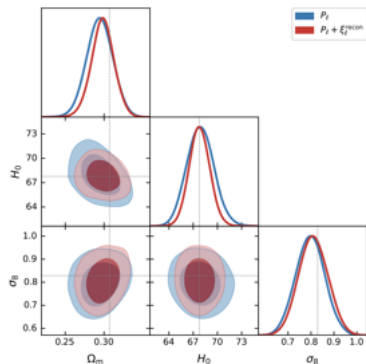
<http://github.com/sfschen/velocileptors>

Application to upcoming surveys **DESI**, **LSST**, **EUCLID**



# Application to BOSS: full-shape + BAO recon.

Mock constraints for  $z_3$ ;  $k \in (0.02, 0.20)h/\text{Mpc}$

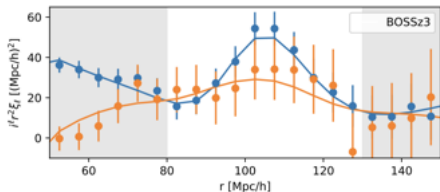
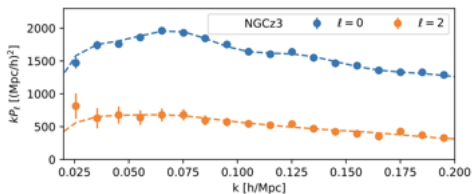
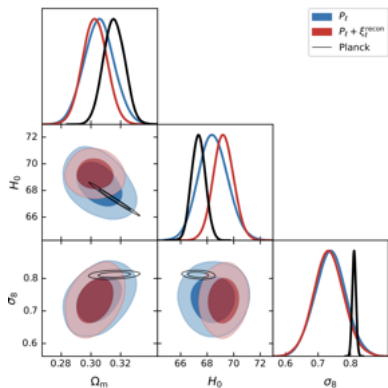


	$P_\ell$	$P_\ell + \text{BAO}$
$\ln(10^{10} A_s)$	$3.09 \pm 0.18$	$3.10 \pm 0.17$
$\Omega_m$	$0.294 \pm 0.017$	$0.298 \pm 0.014$
$H_0$ [km/s/Mpc]	$67.9 \pm 1.7$	$67.8 \pm 1.3$
$\sigma_8$	$0.797 \pm 0.062$	$0.810 \pm 0.063$

True cosmology is  $\Omega_m = 0.307115$ ,  $H_0 = 67.77$ ,  $\sigma_8 = 0.8288$ .

# Application to BOSS: full-shape + BAO recon.

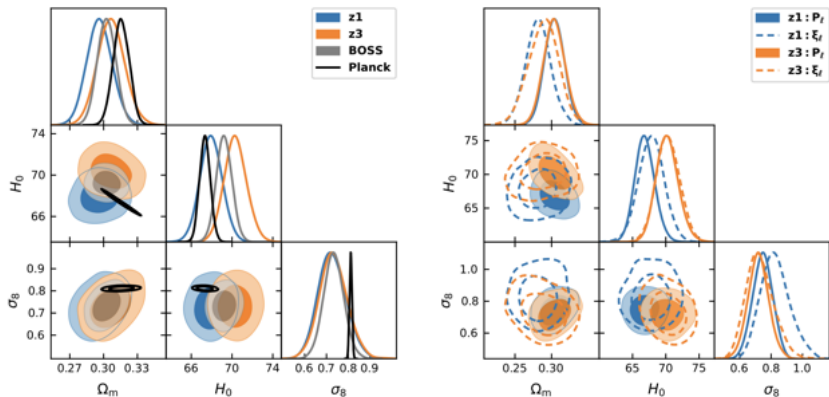
## BOSS galaxy PS+ $\xi$



	$P_\ell$	$P_\ell + \text{BAO}$	Planck
$\ln(10^{10} A_s)$	$2.84 \pm 0.13$	$2.81 \pm 0.12$	$3.044 \pm 0.014$
$\Omega_m$	$0.305 \pm 0.01$	$0.303 \pm 0.0082$	$0.3153 \pm 0.0073$
$H_0$ [km/s/Mpc]	$68.5 \pm 1.1$	$69.23 \pm 0.77$	$67.36 \pm 0.54$
$\sigma_8$	$0.738 \pm 0.048$	$0.733 \pm 0.047$	$0.8111 \pm 0.0060$

# Application to BOSS: full-shape + BAO recon.

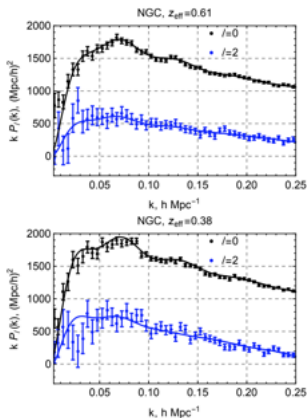
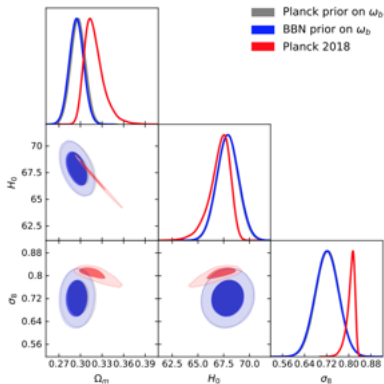
Two independent redshifts & pre- and post- recon.



# Recent applications to the current data surveys

## Cosmological Parameters from the BOSS:

[Ivanov++:19, D'Amico++:19, ...]



$$H_0 = (67.9 \pm 1.1) \text{ km/s/Mpc}, \quad \Omega_m = 0.295 \pm 0.010, \quad \sigma_8 = 0.721 \pm 0.043$$

Current  $\nu$  mass:  $\sum < 0.16 \text{ eV}$  (Planck+LSS)  $< 0.26 \text{ eV}$  (Planck)

# Application to BOSS: full-shape + BAO recon.

A comparison of  $\sigma_8 - \Omega_m$  constraints

